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We study $URu_{2-x}Fe_xSi_2$, in which two types of staggered phases compete at low temperature as the iron concentration x is varied: the non-magnetic 'hidden order' (HO) phase below the critical concentration x_c , and an unconventional antiferromagnetic (AF) phase above x_c . By using polarization resolved Raman spectroscopy, we detect a collective mode of pseudovector-like A_{2q} symmetry which energy continuously evolves with increasing x: monotonically decreases in the HO phase, until vanishes at $x = x_c$, and then reappears with increasing energy in the AF phase. The modes evolution provides direct evidence for an unified order parameter for both non-magnetic and magnetic phases arising from the orbital degrees-of-freedom of the uranium-5f electrons.

URu₂Si₂ holds long-standing interest in the strongly ⁴⁸ periments at low temperature and ambient pressure in 11 correlated electron community due to several emergent ⁴⁹ both the HO and LMAF phases. 12 13 14 15 16 the uranium-5f electrons compete when a critical param-17 18 19 der' (HO) phase [8–10], which transforms into an uncon-20 ventional large moment antiferromagnetic (LMAF) phase 21 22 superconducting state, which likely breaks time reversal 23 symmetry [11], emerges from the HO phase. 24

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Recently, much effort has been dedicated towards un-25 raveling the order parameter of the HO phase through 26 several newly developed experimental and theoretical 27 techniques [11-16]. In particular, the symmetry analysis 28 of the low temperature Raman scattering data implies 29 that the reflection symmetries of tetragonal D_{4h} point 30 group (No. 139 I4/mmm) associated with the paramag-31 netic (PM) state are broken, and that a chirality density 32 wave emerges as the HO ground state [17]. 38

The HO and LMAF phases are known to exhibit 'adi-35 abatic continuity' [21], i.e., both phases possess similar 36 electronic properties [2, 22], and Fermi surface practi-37 cally shows no change across the phase boundary [21]. 38 Furthermore, inelastic neutron scattering observed a dis-39 persive exciton in the HO phase [5, 23] and recently in the 40 41 LMAF phase of pressurized URu_2Si_2 [24]. This raises the intriguing question of the symmetry relation between the 42 two phases. However, experimental progress is hindered 43 due to inherent constraints of low temperature pressur-44 ized experiments. 45

46 $_{47}$ it possible to perform high-resolution spectroscopic ex- $_{83}$ URu_{2-x}Fe_xSi₂ single crystals grown by the Czochralski

Iron substitution types of long range order it exhibits. Below the sec- 50 mimics the effect of applying small pressure or in-plane ond order phase transition temperature $T_{DW}(x)$, two ⁵¹ stress on the URu₂Si₂ lattice, and the iron (Fe) condensity-wave-like phases involving long range ordering of 52 centration, x, can be approximately treated as an ef-⁵³ fective 'chemical pressure' [2]. Recently, the phase dieter x is tuned [1], where x can be chemical substituent 54 gram of $URu_{2-x}Fe_xSi_2$ single crystals have been deterconcentration [2, 3], pressure [4, 5] or magnetic field [6, 7]. 55 mined [1, 3, 18, 25, 26], which resembles the low pres-At $x < x_c$, the system settles in the enigmatic 'hidden or- 56 sure phase diagram of pristine URu₂Si₂ [4, 16] [Fig. 1(a)]. 57 The inelastic neutron scattering measurements again il-⁵⁸ lustrate the analogies of the LMAF phase to the HO through a first order transition for $x > x_c$. Below 1.5 K, a 59 phase [26, 27], albeit differences remain relating to the 60 existence of the resonance in the LMAF state of pressur-⁶¹ ized [24, 27] or Fe-substituted crystals [26].

> In this Letter, we study the dynamical fluctuations be-62 63 tween the competing non-magnetic HO and the time-64 reversal-symmetry breaking LMAF ground states in ⁶⁵ URu_{2-x}Fe_xSi₂ as a function of x using polarization re-⁶⁶ solved Raman spectroscopy [28]. Albeit the distinct dis-⁶⁷ crete symmetries are broken above and below the critical $_{68}$ concentration x_c , we detect a collective mode continu- $_{69}$ ously evolving with parameter x in the pseudovector-like ⁷⁰ A_{2q} symmetry channel. In the HO phase, the mode en- $_{71}$ ergy decreases as x is increased, disappearing at the crit- $_{72}$ ical Fe concentration x_c . In the LMAF phase, the col-⁷³ lective mode again emerges in the same A_{2q} symmetry ⁷⁴ channel with the energy increasing with x. The contin-75 ues transformation of this collective excitation, a photo-⁷⁶ induced transition between the HO and LMAF electronic 77 phases, provides direct experimental evidence for an uni-78 fied order parameter for both non-magnetic and magnetic ⁷⁹ phases arising from the orbital degree of freedom of the ⁸⁰ uranium-5f electrons.

The polarized Raman spectra were acquired in a The availability of $URu_{2-x}Fe_xSi_2$ crystals [2, 3] made s_2 quasi-backscattering geometry from the *ab* surface of



FIG. 1. (Color online) (a) The upper panel shows the phase diagram of URu₂Si₂ system, where the black lines show the phase boundaries. The measurements on the iron substituted $URu_{2-x}Fe_xSi_2$ crystals from neutron diffraction [18] (blue triangle), electrical resistivity [2] (green square), magnetic susceptibility [2] (purple triangle) and heat capacity [3] (yellow diamond), are overlaid with the neutron diffraction results for URu_2Si_2 under hydrostatic pressure [4] (open square) to show the similarity between the two tuning parameters. The lower panel shows the dependence of the A_{2g} collective mode energy on the Fe concentration, x [Fig. 2]. At the critical concentration, x = 0.1, the mode maximum is below the accessible energy cutoff. Therefore, the data point is placed at zero energy, with the error bar reflecting the instrumental cutoff. (b)-(g) Schematics of the Ginzburg-Landau free energy in Eq. 1 at various special points in the phase diagram (solid gray circles in (a)). ψ_{HO} and ψ_{AF} are the real and imaginary part of the hexadecapole order parameter, respectively [19, 20].

⁸⁴ method [28]. We use 752.5 nm line of a Kr⁺ laser for $_{110}$ x owing to the inhomogeneity of the local stress field, or 85 86 87 88 below 6 mW to achieve the lowest temperatures. 89

90 ⁹¹ Raman response in the eminent A_{2g} symmetry chan-¹¹⁷ lower panel of Fig. 1(a) plots the mode energy against Fe 92 93 94 95 ⁹⁶ most of the spectral weight for all samples, narrowing to-¹²² ing [18] and thermal expansion measurements [3]. The 97 98 99 with cooling is due to the increase of excitation lifetime, ¹²⁶ as the collective mode in the HO phase. 100 related to the development of a hybridization gap and 128 101 formation of a heavy Fermi liquid [30, 31]. 102

103 104 105 ¹⁰⁷ the mode's line-shape more clearly, we plot $\chi''_{A2g}(\omega,T)$ ¹³⁴ crepancies around the maxima at about 50–100 K, both 108 for each Fe concentration x in the lower panels, with 135 quantities follow the same Curie-Weiss-like temperature $_{109}$ $T \approx T_{DW}(x)/2$. The line-shapes broaden with increasing $_{136}$ dependence above 100 K, followed by a suppression ap-

excitation. The scattered light was analyzed by a cus- 111 unsuppressed relaxation channels introduced by doping tom triple-grating spectrometer. The laser spot size on ¹¹² that interact with the collective mode, which may also be the sample is roughly $50 \times 100 \,\mu m^2$. The power on the 113 related to the increasing continuum in the x = 0.15 and sample is about 12 mW for most temperatures, and kept 114 0.2 spectra. In contrast to the monotonic broadening ¹¹⁵ of the line-shape width, the collective mode frequency Figure 2 shows the temperature dependence of the 116 shows non-monotonic behavior as function of x. The nel of the D_{4h} group, which transforms as a pseudo- 118 concentration x. The energy decreases with increasing x vector [29]. The upper panels show the intensity plots of ¹¹⁹ in the HO phase, till vanishes below the instrumental resthe low energy Raman response $\chi''_{A2q}(\omega,T)$ below 30 K. 120 olution at x = 0.10, which is close to the HO and LMAF Above $T_{DW}(x)$, a quasi-elastic peak (QEP) comprises 121 phase boundary determined by elastic neutron scatterwards the transition. The observed QEP originates from ¹²³ resonance reappears in the LMAF phase, where the enoverdamped excitations between quasi-degenerate crys- 124 ergy increases with increasing x. The resonance in the tal field states [17, 19], and the narrowing of the QEP $_{125}$ LMAF state appears in the same A_{2q} symmetry channel

The similarity of the Raman response in the HO and 129 LMAF phases encourages us to compare our results with Below $T_{DW}(x)$, the most significant feature in the A_{2g} ¹³⁰ the magnetic susceptibility. Figure 3 shows the temperchannel is a sharp collective-mode. The sharpness of this $_{131}$ ature dependence of the real part of the static A_{2g} Raresonance suggests the lack of relaxation channels due to $_{132}$ man susceptibility $\chi'_{A2g}(0,T)$, compared with the c-axis the opening of an energy gap [1, 30, 32]. In order to see 133 magnetic susceptibility $\chi_c^m(T)$ [3]. While there are dis-

x=0.05 x=0.10 x=0.15 x=0.0 x=0.20 Temperature (K) 25 20 15 0.7 10 0.25 7K 8K 9K 9K 9K 2 χ"(ω) (a.u.) 0.17meV 2 3 4567 0 1 2 3 4 5 6 7 0 1 2 3 4 5 6 7 0 1 2 3 4 5 6 7 01 23 0 1 45 6 7 Raman shift (meV)

FIG. 2. (Color online) Low temperature Raman response in the A_{2g} symmetry channel, $\chi''_{A2g}(\omega,T)$ [28]. The upper panels show intensity plots, where the intensities are color coded in logarithmic scale. The lower panels show the spectra at about half the transition temperature to emphasize the collective mode, where the error bars represent one standard deviation, and the red solid lines are guides to the eye. The energies of this mode as function of the Fe concentration x are shown in Fig. 1(a).

proaching the second order phase transition. 137

138 139 140 141 142 143 144 145 146 147 energy and localized at the uranium f-shells in space. The 181 the staggered condensate can be approximated by a form 148 149 pseudo-vector-like instabilities at low temperature. Be- 183 $|\text{HO}_{\rm r}^{\pm}\rangle$ at uranium site r is dominantly $|A_{2g}\rangle$, with small 150 151 in [16, 30, 32, 37] and the correlation length of the 152 HO [38] or LMAF [4, 39] phase builds at ordering vec-153 tor $Q_0 = (0, 0, 1)$, and therefore both the magnetic and 154 Raman uniform susceptibilities start to decrease [Fig. 3]. 155 Close to the transition temperature, both the HO and 156 157 LMAF order parameters fluctuates regardless of the low temperature ordering [Fig. 1(b)-(d)]. However, the static 158 magnetic susceptibility at Q_0 only diverges across the 159 PM–LMAF phase transition [4, 18], whereas it becomes 160 'near critical' from PM–HO phase [38]. Thus, HO is 161 a non-magnetic transition, but there is the 'ghost' of 162 LMAF present as shown in Fig. 1(b). Here, we find that 163 the temperature dependencies of the static A_{2q} Raman 164 165 susceptibility $\chi'_{A2g}(0,T)$ are similar and track $\chi^m_c(T)$ in all measured samples, suggesting that the minimal model is applicable for the studied Fe substituted crystals. 168

169 $_{170}$ dependence of the collective mode in the ordered phases $_{200}$ (ψ_{HO} ψ_{AF}), where the order parameters correspond

¹⁷¹ within a phenomenological Ginzburg-Landau approach. The comparison between $\chi'_{A2q}(0,T)$ and $\chi^m_c(T)$ has $_{172}$ Within the minimal model, the two order parameters been studied within the frame work of a phenomeno- $_{173}$ can be constructed from $|A_{2q}\rangle$ and $|A_{1q}\rangle$ [19]. The HO ogical minimal model [17, 19]. The model is composed 174 phase was explained as the state in which the two levof two low-laying singlet orbital levels on uranium sites 175 els mix, resulting in a lower symmetry point group on as suggested by recent experiment [34], separated by an 176 uranium site, which breaks all vertical and diagonal reenergy scale of $\omega_0 = 35$ K. These states with pseudo- 177 flection symmetry planes, and thus acquires left- and vector-like A_{2g} and full-symmetric A_{1g} symmetries are 178 right-handedness. [17, 19] The staggering of left and right denoted by $|A_{2q}\rangle$ and $|A_{1q}\rangle$, respectively. At high tem- 179 handedness solutions on the lattice gives rise to the chiperatures, the crystal field states are quasi-degenerate in 180 rality density wave [17] [Fig. 4(a)]. In the HO phase, Curie-Weiss-like behavior above 100 K in static magnetic-[3] and Raman-susceptibilities [17, 35, 36] suggest $A_{2g} = \prod_{r=A \ site} |HO_r^+\rangle \times \prod_{r=B \ site} |HO_r^-\rangle$. Note that

low about 50 K, the Kondo screening begins setting ¹⁸⁴ admixture of $|A_{1q}\rangle$, i.e., $|\text{HO}^{\pm}\rangle = \cos\theta |A_{2q}\rangle \pm \sin\theta |A_{1q}\rangle$.

In the HO the orbital mixing is purely real. If, how-185 ¹⁸⁶ ever the mixing is purely imaginary, the charge distribu-187 tion on the uranium site does not break any spatial sym-188 metry, instead, it acquires non-zero out-of-plane mag-189 netic moments, and thereby breaks time reversal sym- $_{190}$ metry. The Néel-type condensate [Fig. 4(b)] takes the ¹⁹¹ form $|\psi_{AF}\rangle = \prod_{r=A \ site} |AF_{r}^{+}\rangle \times \prod_{r=B \ site} |AF_{r}^{-}\rangle$, where ¹⁹² $|AF^{\pm}\rangle = \cos\theta |A_{1g}\rangle \pm i \sin\theta |A_{2g}\rangle$ [19]. The two appar-¹⁹³ ently competing orders, the chirality density wave and ¹⁹⁴ the antiferromagnetic state, are both constructed by mix-¹⁹⁵ ing the two orbital states on uranium sites with a real or ¹⁹⁶ an imaginary phase, thus unifying the two order parameters. 197

The Ginzburg-Landau free energy can then be con-198 We now discuss the origin and the observed doping 199 structed from the two component order parameter $\Psi^T \equiv$



FIG. 3. (Color online) The static Raman susceptibility in the A_{2g} symmetry channel (open squares) $\chi'_{A2g}(0,T)$, compared with the magnetic susceptibility with field applied along the c-axis [3] (solid line). Note the unconventional temperature dependence of the susceptibilities due to the formations of the heavy fermion states below about 50 K [33].

 $_{201}$ to the two condensates $|\psi_{HO}\rangle$ and $|\psi_{AF}\rangle$ defined above. 202 The free energy takes the form

$$F[\Psi] = \Psi^T \hat{A} \Psi + \beta \left(\Psi^T \Psi\right)^2 + \gamma \left(\Psi^T \hat{\sigma}_1 \Psi\right)^2 \qquad (1)$$

²⁰⁴ the critical temperature. $\hat{\sigma}_1 \equiv \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$ is the Pauli ma-²²⁰ finite due to a γ term in Ginzburg-Landau functional. ²¹¹ Therefore the transition between HO and LMAF phases $_{205}$ trix. γ controls a finite barrier between the two minima $_{222}$ is of the first order, and the coexistence of both phases 206 in Fig.1e-g, hence ensures phase separation between the 223 is allowed, explaining the LMAF puddles that have been 207 HO and LMAF phases [39]. The free energy parame- 224 observed in the HO phase [41, 42]. ²⁰⁸ ters are introduced following the recipes given in Haule ²²⁵ 209 and Kotliar [20, 40] with adjustments to match the phase 226 range order (e.g., $|\psi_{HO}\rangle$) and the sub-dominant order $_{210}$ diagram in Fig. 1(a) [28].

211 $_{212}$ in two dimensional space of ψ_{HO} and ψ_{AF} . Below the $_{229}$ than the size of the gap. The exciton of subdominant ²¹³ second-order phase transition, two global and two local ²³⁰ symmetry (e.g., $|\psi_{AF}\rangle$) can form in the gap, which then $_{214}$ minima develop on ψ_{HO} and ψ_{AF} axes due to sponta- $_{231}$ propagates through the order of the dominant symme- $_{215}$ neous discrete symmetry breaking, where the minima $_{232}$ try (e.g., $|\psi_{HO}\rangle$). Likewise, when the ground state is of



FIG. 4. (Color online) The crystal structure of $URu_{2-x}Fe_xSi_2$ in (a) the HO and (b) the LMAF phases. Illustrations capturing the symmetries of the charge distributions of the ground state wave functions are placed at the uranium atomic sites. On the right are illustrations showing the inplane structures of the wave functions. In the HO phase, the crystal field state with the lowest energy has A_{2g} symmetry with 8 nodal lines, $|A_{2g}\rangle$, which mixes with the first excited state with A_{1g} symmetry, $|A_{1g}\rangle$, to form the local wave functions in the HO phase, $|\text{HO}^{\pm}\rangle \approx \cos\theta |A_{2g}\rangle \pm \sin\theta |A_{1g}\rangle$. In the LMAF phase, the ordering of the crystal field states switches, and the new wave functions in the LMAF phase are, $|AF^{\pm}\rangle \approx \cos\theta |A_{1g}\rangle \pm i \sin\theta |A_{2g}\rangle$. Here, $\theta \equiv \arcsin(V/\omega_0)$ and $\theta' \equiv \arcsin(V'/\omega_0)$, respectively. ω_0 is the splitting between the lowest lying crystal field states in the minimal model. V and V' are the order parameter strength in the HO and LMAF phases, respectively.

²¹⁷ phases, respectively.

where $\hat{A} \equiv \begin{pmatrix} \alpha_{HO} & 0 \\ 0 & \alpha_{AF} \end{pmatrix}$, with α_{HO} and α_{AF} vanish at $^{218}_{219}$ At the critical doping [Fig. 1(f)], the four minima are degenerate, but the barrier between the minima remains

The energy separation between the dominant long ₂₂₇ (e.g., $|\psi_{AF}\rangle$) is vanishingly small at the critical Fe con-Figure 1(b)-(g) plots the Ginzburg-Landau free energy 228 centration, and even away from this point can be smaller $_{216}$ characterize the ground states in the HO and LMAF $_{233}$ $|\psi_{AF}\rangle$, the propagating exciton is of $|\psi_{HO}\rangle$ symmetry.

²³⁴ The symmetry difference between the two condensates is ²⁸⁹ $_{235}$ A_{2q} -like, hence such exciton can be detected by Raman $_{290}$ $_{236}$ in the A_{2g} channel, and explains the sharp resonance 291 $_{\rm 237}$ shown in Fig. 2. It is clear from this discussion that $^{\rm 292}$ 238 the energy of the resonance vanishes at the critical Fe ²³⁹ concentration, and is linearly increasing away from the 240 critical point. For superconductors, such an excitation 296 is known as the Bardasis-Schrieffer mode, characteriz-241 ²⁴² ing the transition between two competing Cooper pairing ²⁹⁸ $_{243}$ channels [43].

More generally, the uranium 5f orbitals in solids can 244 arrange in surprising types of orders, including orders 302 245 with broken chirality or time reversal symmetry. While 303 246 such orders are competing for the same phase space in 304 247 URu_2Si_2 , they are also subtly connected and were here $_{305}$ [14] 248 ²⁴⁹ unified into a common order parameter, which can be ²⁵⁰ switched with small energy cost. The low energy excitations are usually Goldstone modes, but here we detected 251 ²⁵² a new type of excitation, which connects two types of ²⁵³ long range order, and is observed as a resonance by light ³¹¹ [16] ²⁵⁴ scattering. The resonance brings light to a long-standing ³¹² ²⁵⁵ problem of emergent phases of exotic local orbital self-²⁵⁶ organization and their interrelation.

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